

REMARKS ON THE PRESENT AND
FUTURE OF CONDENSED MATTER
PHYSICS

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THE PROGRESS OF CONDENSED-MATTER PHYSICS: A SERIES OF (MINI-) PARADIGM SHIFTS?

T. S. Kuhn (The Structure of Scientific Revolutions, 1962):

old paradigm → paradigm shift → new paradigm
 (“normal” science) (scientific revolution) (“normal” science)
 (examples: Copernicus, SR, QM ...)

Dictionary definition of Paradigm Shift:

(Merriam-Webster): an important change that happens when the usual way of thinking about or doing something is replaced by a new and different way.

(Cambridge): a time when the usual and accepted way of doing or thinking about something changes completely.

in a scientific context, the paradigm determines

- what are the legitimate/interesting **questions**
- what kinds of answers to them are allowed
- what kinds of evidence may be adduced



Revolutions in CMP: mostly “velvet”? (old ideas stay around, but no longer shape the field)

WHAT WERE THE PARADIGM SHIFTS 1955 – 2023?

1. Landau Fermi-liquid theory (1956)
don't even try to calculate from first principles, rather try to **relate** different physical properties of given system.
2. BCS theory (1957)
try to identify crucial physical effect (in this case, phonon-induced attraction) and encapsulate in **effective low-energy Hamiltonian**
3. Renormalization group approach to 2nd – order phase transitions (1963-71)
universality, broken symmetry
(L. P. Kadanoff: “The practice of physics has changed... going from solving problems to discussing the **relationship** between problems”)
4. Fractional quantum Hall effect (1983)
quasiparticles (e.g. anyons) whose character bears no relation to underlying particles or waves
5. Quantum information (2002 -)
need to take **individual wave functions** seriously:
emphasis on **entanglement**.

Some other developments:

superfluid ³He (1972)

integral quantum Hall effect (1980)

cuprate superconductivity (1986)

topological insulators (2004)

room-temperature superconductivity (2022)(?)

exciting,
but didn't
shift
paradigm.



Condensed-Matter Physics in 2023:
The “Rugged-Seashore” Analogy



WATER (UNKNOWN)



DRY LAND
(KNOWN)

Examples:

“KNOWN”

versus

“UNKNOWN”

crystalline solids

glasses (amorphous materials)

“classical” superconductivity

high-temperature superconductivity

laboratory photovoltaics

natural photosynthesis



Given that CMP (like most other areas of physics) seems to be overall in a Kuhnian “normal” phase, how can we make “interesting” progress?

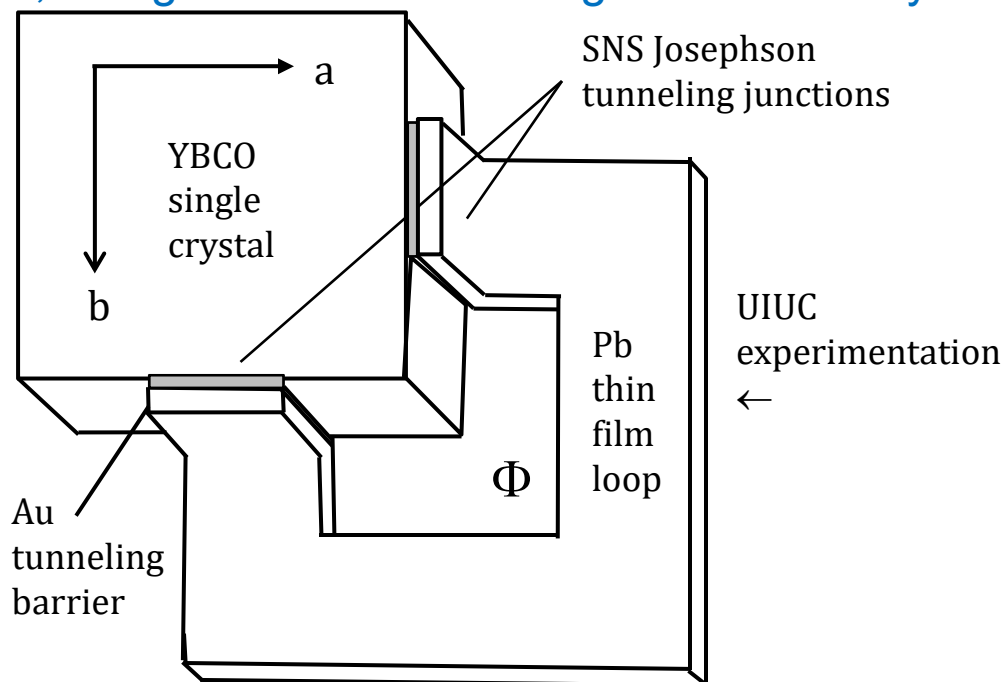
A possible answer: think up new **questions** (ideally yes/no ones) which we can answer **by experiment**, with only minimal reliance on microscopic theory.

Some examples from specific subfields:

(a) Cuprate superconductivity:

- i) Can we understand the macroscopic properties without a detailed microscopic theory?

A: Yes, use generalized Ginzburg-Landau theory



- ii) What is the symmetry of the Cooper-pair wave function (order parameter)? (s/d)

A: Use Josephson circuit*

↑: in case of (non-cuprate) Sr_2RuO_4 , appears to give answer inconsistent with Knight-shift (+ neutron) data



*Geshkenbein, Larkin, Barone 1985 (for heavy-fermion superconductors)

iii) Where in the space of (q, ω) is the inter-conduction electron Coulomb energy saved (or expended) in the $N \rightarrow S$ transition?

A: EELS / optical experiments

iv) Are we “spoiled” by success of BCS? Is it always possible to discuss low-T ($T \lesssim T_0$) behavior in terms of low- ε ($\varepsilon \lesssim kT_0$) states?

(in reality, $E \sim N\varepsilon$ is played off against $Nk_B T$)



Amorphous systems (“glasses”)

General observation: the overall properties of glasses are **much more universal** than those of crystals, yet we have a much worse understanding of them!

A. particularly striking quantitative universality*

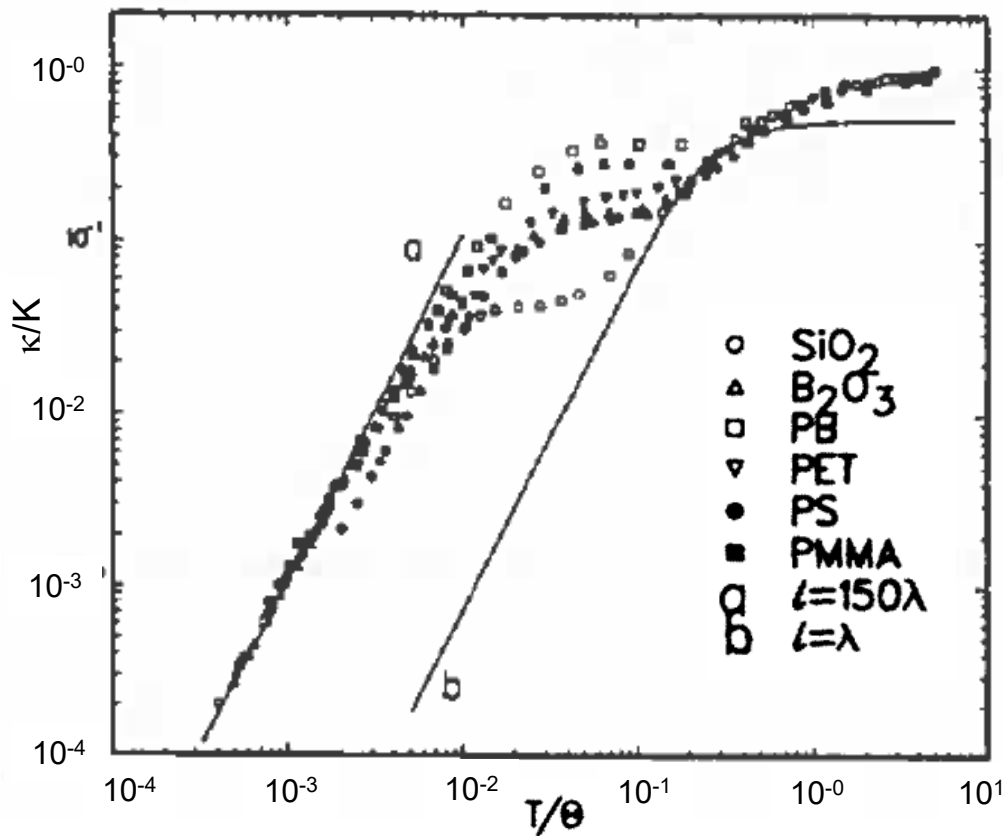


FIG. 2. Thermal conductivities for the same six amorphous solids as in Fig. 1, scaled as explained in the text. The solid lines here and in Figs. 3-5 were computed from Eq. (2) using either $\ell=150\lambda$ (line a) or $\ell=\lambda$ (line b).

This is essentially a graph of phonon mean free path (ℓ) versus to de Broglie wavelength (λ) of thermally dominant phonons. We see ℓ / λ is constant and ~ 150 for $T \lesssim 1\text{K}$ ($\lambda \gtrsim 300\text{\AA}$) and constant and ~ 1 at $T \gtrsim 10\text{K}$ ($\lambda \lesssim 30\text{\AA}$), **irrespective of microscopic nature of system.**



*Freeman & Anderson, Phys. Rev. B 34, 5684 (1986)

The standard tunnelling two-level system (TTLS) model = noninteracting two-level systems with energy E : density of states $P(E) \sim \text{const.}$ for $E \rightarrow 0$. Couple to phonons & thereby determine ℓ .

Can explain $T \lesssim 1\text{K}$ data (only), but at the cost of near-unbelievable degree of coincidence in parameters:

$$\ell / \lambda = \text{const.} \frac{\rho c^2}{g^2 P(E)}$$

← each factor fluctuates by $\sim 6-10$



An old idea* which may still have some merit:

At short distances ($r \lesssim 30\text{\AA}$) phonon-induced interaction $g^2/\rho c^2 r^3$ dominates over original (“bare”) TLS energy. On dimensional grounds, if resulting $P(0)$ is constant then it must $\propto \rho c^2/g^2$:

$$P(0) = \text{const.} \frac{\rho c^2}{g^2} \quad \text{with const.} \sim 1$$

But then

$$\ell / \lambda = \text{const.} \rho c^2 / g^2 \quad P(0) = \text{const.} \sim 1!$$

Hence can explain **high-temperature** (short-distance) behavior.

But what about universal low-temperature behavior? (argt. would require const. ~ 150). No obvious reason for that ...

What are we missing?



*e.g. AJL, Physica B **169**, 322 (1991)

3) Ultracold atomic gases

Legitimately a part of CMP, but untypical in that “Nature is doing exactly what the textbooks tell her to!”

So ... what is the (exciting) future?

- i) testing conjectures made about more traditional systems, but untestable there (ex: (non)-metastability of supercurrent in superfluid with internal degrees of freedom).
- ii) analog computing (e.g. 2D Hubbard model)
- iii) instantiation of various quantum-information ideas e.g. new “phases” generated by continuous “measurement”.
one problem: surfeit of possibilities!

e.g. for 100 qubits, Hilbert space is 2^{100} -dimensional: how do we know which parts of it to explore? (traditionally, lowest-energy sector: but are there other “unique” regions, e.g. super-highly-entangled ones?)

But, quite generically, the \$64K question for the future of condensed matter physics (CMP):



WILL ARTIFICIAL INTELLIGENCE PUT (HUMAN) CONDENSED-MATTER PHYSICISTS OUT OF BUSINESS?

Don't laugh: look over your shoulder!

Protein folding: > 17K papers in literature

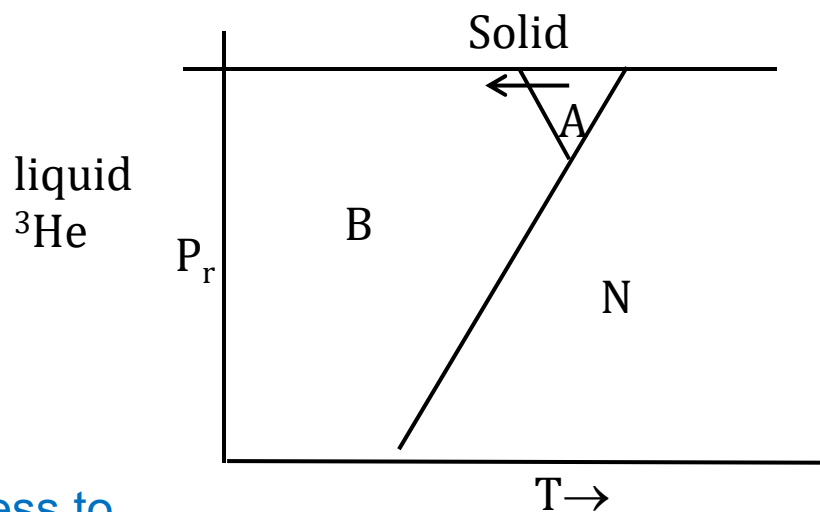
Alphafold program* (2021) may make >50% of them obsolete!

This and similar programs use machine learning to generalize from existing examples, so:

V. likely to be good for materials-genome type operations; may well find robust RT superconductors

but ...

can it e.g. calculate
A \rightarrow B nucleation
rate in liquid ^3He ?
(why interesting?)



A. allow program access to

“all we know” about liquid ^3He

B. allow it access to “all we know” about physics

C. tell it to concentrate on cosmic rays



*E. Callaway, Nature Intl. Weekly Journal of Science **604**, 234 (2022)