

WHAT EXACTLY DO THE “EPR-BELL” EXPERIMENTS TELL US ABOUT THE WORLD? (OR: LOCALITY, “REALISM” AND ALL THAT)

A. J. Leggett

Department of Physics
University of Illinois at Urbana-Champaign

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1. What is realism in physics? \cong macroscopic counterfactual definiteness (MCFD)
2. Recap of EPR-Bell experiments, and one standard analysis thereof (based on locality **plus** realism/MCFD)
3. The “collapse locality” loophole: alternative refutation of MCFD
4. Is locality enough? (Gisin): macroscopic counterfactual **quasi** definiteness.



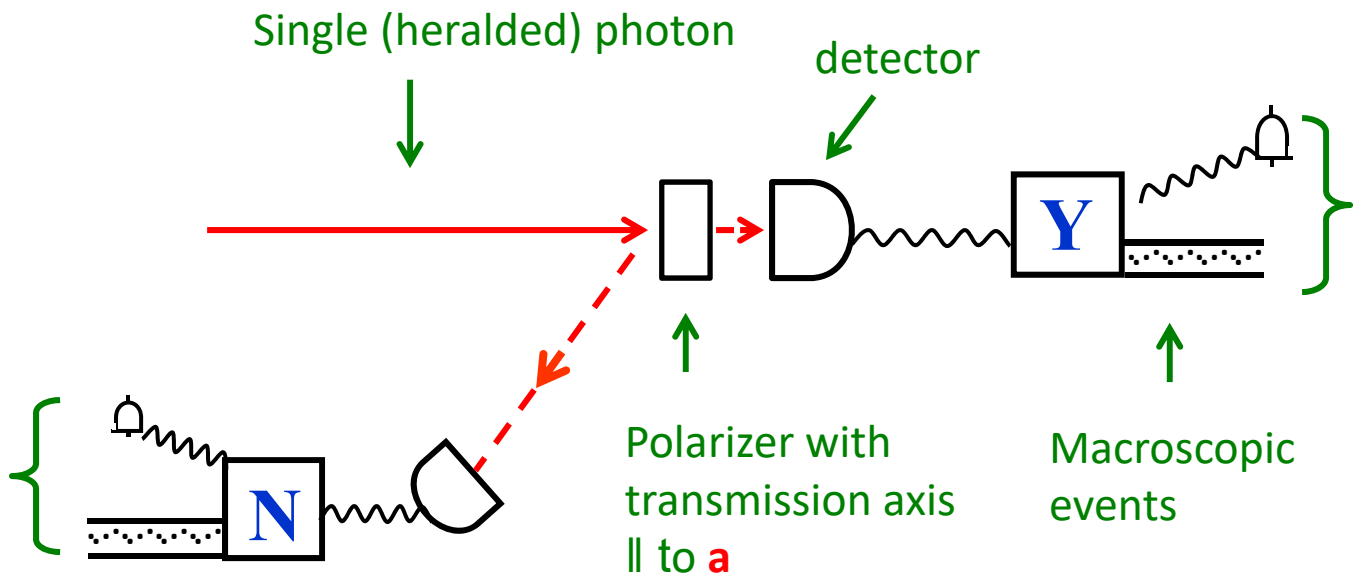
5. Conclusion

1. WHAT DO WE/CAN WE MEAN BY “REALISM” IN PHYSICS?

Tentative definition of “realism”:

At any given time, the world has a definite value of any property which may be measured on it (irrespective of whether that property actually is measured)

(Microscopic) example: photon polarization



“Question” posed to photon:

Are you polarized along \mathbf{a} ?

Experimental fact:

for each photon, **either** counter Y clicks (and counter N does not) **or** N clicks (and Y does not).

natural “paraphrase”:

when asked, each photon answers either “yes” ($A = +1$) or “no” ($A = -1$)

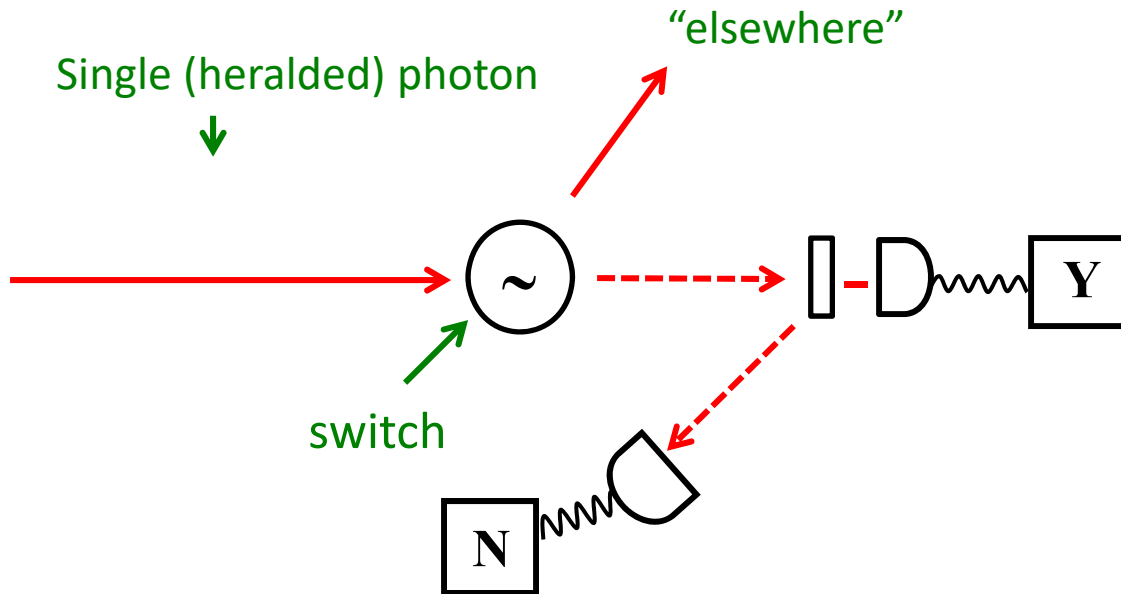
But: what if it is **not** asked?

(no measuring device...)



Single (heralded) photon

MACROSCOPIC COUNTERFACTUAL DEFINITENESS (MCFD) (Stapp, Peres...)



Suppose a given photon is directed “elsewhere”.

What does it **mean** to ask “does it have a definite value of A?”?

A possible quasi-operational definition:

Suppose photon had been switched into measuring device:

Then:

Proposition I (**truism?**): It is a fact that **either** counter Y would have clicked ($A = +1$) **or** counter N would have clicked ($A = -1$)



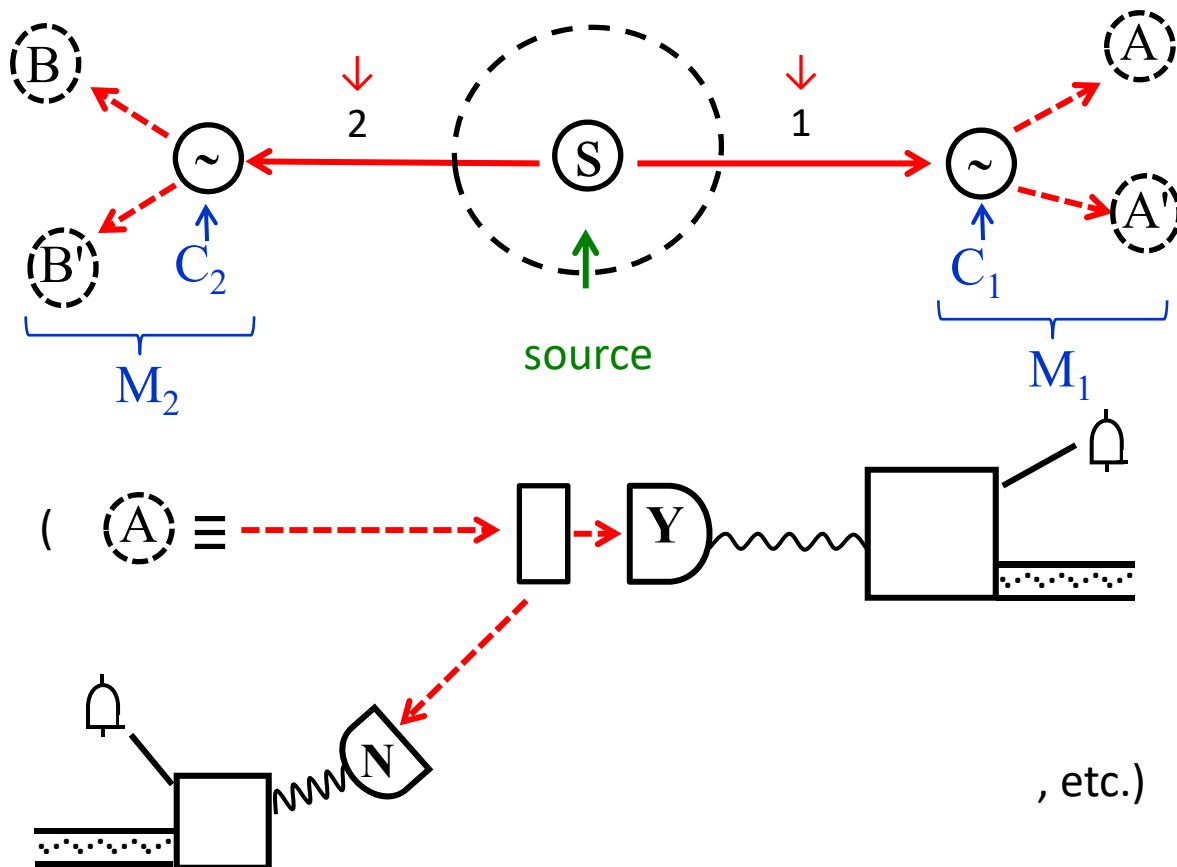
Proposition II (MCFD): **Either** it is a fact that counter Y would have clicked (i.e. it is a fact that $A = +1$) **or** it is a fact that counter N would have clicked ($A = -1$)

Realism \cong **proposition II?**

(will take as definition of “realism”
for purposes of present talk)



2. THE EPR-BELL EXPERIMENTS (idealized)



Df: $\left\{ \begin{array}{l} \text{if object 1 is directed into counter A and counter A clicks, } A \equiv +1 \text{ (etc.)} \\ \text{" " " " " does not click, } A \equiv -1 \end{array} \right.$

CHSH inequality: all objective local theories (OLT's) satisfy the constraints

$$\langle AB \rangle_{\text{exp}} + \langle A'B \rangle_{\text{exp}} + \langle AB' \rangle_{\text{exp}} - \langle A'B' \rangle_{\text{exp}} \leq 2 \quad (*)$$

(*) is violated (by predictions of QM, and) (prima facie)
by experimental data.

I

Note: for purposes of refuting local realism, use of
“source” is inessential! (correlations can be generated
any way we please).

Objective local theories (OLT's) defined by conjunction of

- (1) Realism (“objectivity”) – physical systems have definite properties whether or not these are observed. (will replace by MCFD)
- (2) Locality – no causal influence can propagate with velocity $> c$ ← speed of light
- (3) *Absence of retrocausality (“induction”): future cannot affect present/past
(will not question in this talk)

So: experimental refutation of CHSH inequality \Rightarrow
either locality or realism (MCFD) false (or both)

*[Note: in SR (2) \rightarrow (3), but we want to consider more general scenarios]



Proof of CHSH inequality:

1. By (1) for any given pair, quantities A, B, A', B' **exist** and take values ± 1 . (**realism**)
2. By (2) and (3), value of A independent of whether B or B' measured at distant station (and vice versa) (**locality**)

3. Hence for any given pair, the quantities AB, AB' etc. exist, with A taking **the same** value (± 1) in AB and in AB' (etc.)

4. Then grade-school algebra \Rightarrow
 $AB + A'B + AB' - A'B' \leq 2$

5. Thus when measured on **same** ensemble,
 $\langle AB \rangle + \langle A'B \rangle + \langle AB' \rangle - \langle A'B' \rangle \leq 2$

6. While strictly speaking we should write the experimentally measured correlation as

$$\langle AB \rangle_{\text{exp}} \equiv \langle AB \rangle_{AB}$$

↑
ensemble on which A and B measured

by (3) $\langle AB \rangle_{AB} = \langle AB \rangle_{AB'}$, etc. $\equiv \langle AB \rangle$ (**induction**)

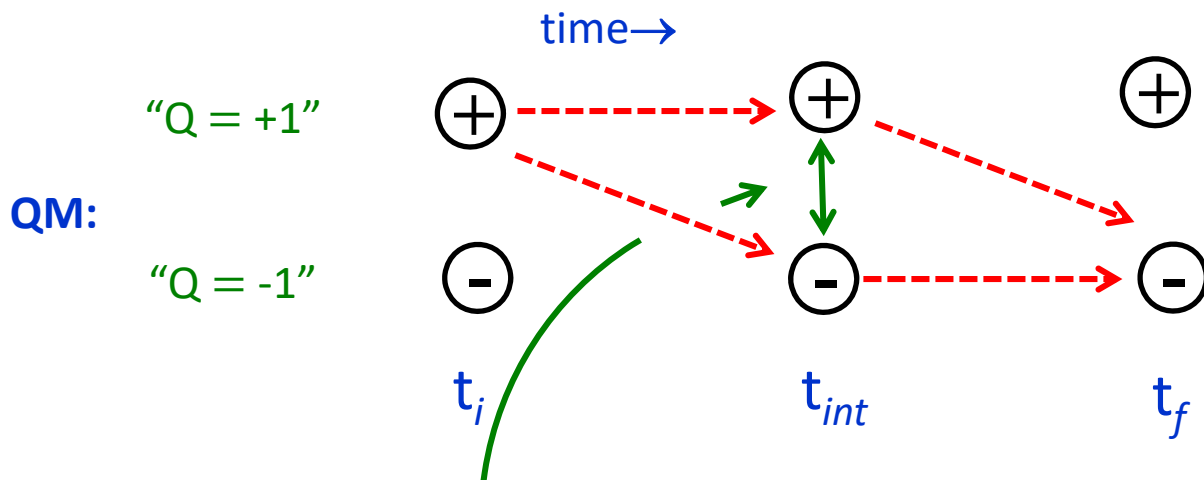
7. Hence

$$\langle AB \rangle_{\text{exp}} + \langle A'B \rangle_{\text{exp}} + \langle AB' \rangle_{\text{exp}} - \langle A'B' \rangle_{\text{exp}} \leq 2 \quad , \quad \text{QED.}$$

noncontroversial



MACROSCOPIC QUANTUM COHERENCE (MQC)



macroscopically
distinct* states

Example: “flux qubit”:



QM: at t_{int} , state is quantum superposition of \oplus and \ominus

Macrorealism (\equiv MCFD): at t_{int} , either \oplus or \ominus

Can we test this hypothesis? Yes!



* how “macroscopically” distinct?
(cf: arXiv: 1603.03992)

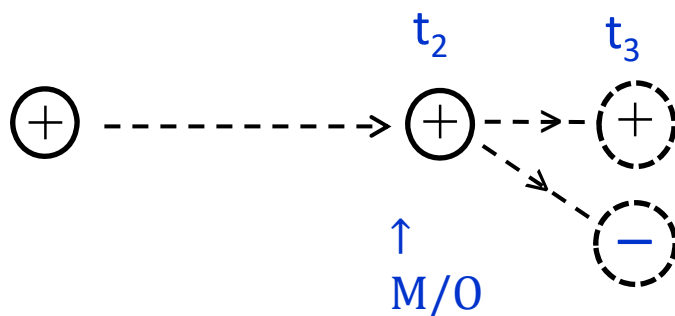
NTT experiment

Rather than measuring 2-time correlations, check directly how far measurement (not necessarily noninvasive) at t_2 affects $\langle Q(t_3) \rangle \equiv \langle Q_3 \rangle$ for the different macroscopically distinct states and for their (putative) quantum superposition.

Define for any state σ at $t=t_2^-$,

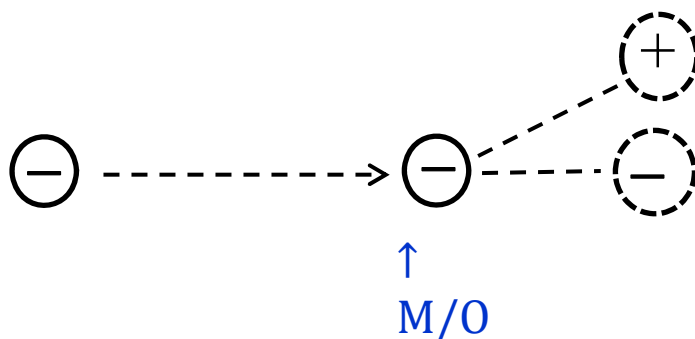
$$d_\sigma \equiv \langle Q_3 \rangle_M - \langle Q_3 \rangle_O \quad \left\{ \begin{array}{l} M \equiv \text{measurement with} \\ \text{uninspected outcome made at } t_2 \\ O \equiv \text{measurement not made at } t_2 \end{array} \right.$$

Ancillary test: $\sigma = \oplus$



$$d_+ \equiv \langle Q_3 \rangle_M - \langle Q_3 \rangle_O$$

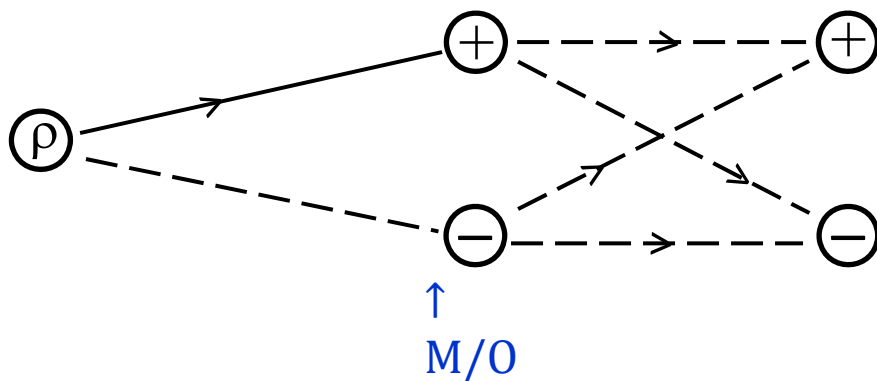
$\sigma = \ominus$



$$d_- \equiv \langle Q_3 \rangle_M - \langle Q_3 \rangle_O$$



Knee et al. experiment*:



$$d_\rho \equiv \langle Q_3 \rangle_M - \langle Q_3 \rangle_0$$

$$\text{Df: } \delta \equiv d_\rho - \min(d_+, d_-)$$

$$\text{MR: } \delta > 0$$

↑ macrealism

$$\text{Expt: } \delta = -0.063$$

violates MR prediction by > 84 standard deviations!

So: had better take “collapse locality” loophole seriously!

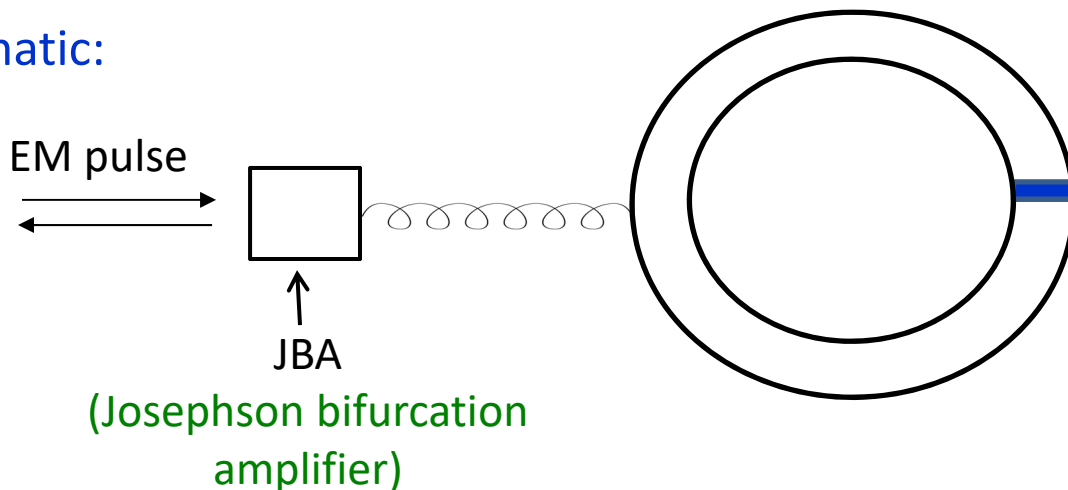


*G.C. Knee et al. (including AJL) Nature Communications **7**, 13253 (2016)

The irony is: when the rf SQUID (flux qubit) was originally invented in the 60's, its principal role was as a measuring device for magnetic flux! Originally, such flux was highly classical, but to-day, sensitivity is ~ 300 spins, and in future envisaged to be single spin. Thus can act as the “measuring device” in the von Neumann scheme.

To employ flux qubit as such (and for some steps in the Knee et al. protocol) must be able to read off value of Q . How to do this?

Schematic:



If we wish to measure Q at time t , inject EM pulse into JBA.
If we **do not** wish to measure Q at time t , don't inject anything!

If pulse injected, Q is definite.
If pulse **not** injected, Q is indefinite!

Thus, Knee et al. experiment can be regarded as
direct refutation of MCFD



But, why should we believe MCFD in the first place?

Recap: our tentative definition of “realism” was by proposition II.

Either it is a fact that counter Y would have clicked, **or** it is a fact that counter N would have clicked.

This is the statement of macroscopic counterfactual definiteness. So:

Do counterfactual statements have truth-values?
(common sense, legal system... assume so!)

A possible view on the meaning of counterfactuals*

“If kangaroos had no tails, they would topple over” seems to me to mean something like this: in any possible state of affairs in which kangaroos have no tails, and which resembles our actual state of affairs as much as kangaroos having no tails permits it to, the kangaroos topple over.



*David K. Lewis, Counterfactuals, Harvard U.P. 1975

So... is it the case that in any experiment in which “everything else is the same” but we measure A instead of A' , we always get (say) $+1$?

Alas, no! (and NTT experiment shows this is not simply “amplification” of a microscopic indeterminacy, it is true even at a (semi-) **macroscopic** level).

But, back to EPR-Bell...



Non-realism: Deep Thought or a Soft Option?

Nicolas Gisin

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Abstract The claim that the observation of a violation of a Bell inequality leads to an alleged alternative between nonlocality and non-realism is annoying because of the vagueness of the second term.

Keywords Nonlocality · Bell inequality · Realism · Measurement problem

1 Introduction

In recent years the violation of Bell's inequality has often been interpreted as either a failure of locality or of realism (or of both). The problem with such a claim is that it is not clear what realism in this context should mean. In this note my goal is to look for a definition of realism compatible with the claim that it has been falsified.¹ Sometimes realism is defined as the hypothesis that every physical quantity always has a value.² But then, either this value is inaccessible, hence unphysical, or this value can be revealed by appropriate measurements (to arbitrary good approximation, at least in principle). Hence, these measurements have predetermined outcomes and realism is nothing but a fancy word for determinism. If so, first, why should one use the word local realism instead of local determinism? And second, Bell's inequality can be stated and proved without any assumption about determinism.

¹My personal definition of realism—that clearly has not been falsified—is another issue. For me realism means [2], very briefly, that physical systems possess properties preexisting and independent of whether we measure the system or not; however these preexisting properties do not determine measurement outcomes, but only their propensities. Accordingly, there are realistic random events that reflect preexisting properties, as required by realism, simply the reflection is not deterministic.

²For example, in [1] A. Zeilinger et al. define realism as “the assumption that measurement outcomes are well defined prior to and independent of the measurements”.

N. Gisin (✉)
Group of Applied Physics, University of Geneva, 1211 Geneva 4, Switzerland
e-mail: nicolas.gisin@unige.ch

To prove CHSH inequality, it is adequate to postulate the locality condition

$$\forall \mathbf{a}, \mathbf{b}, \lambda$$

$$p_{++}(\mathbf{a}, \mathbf{b}, \lambda) = p_{+}(\mathbf{a}, \lambda) p_{+}(\mathbf{b}, \lambda) \quad (\text{etc. for } p_{+-}, \dots) \quad (*)$$

Once (*) is granted, algebra to obtain CHSH inequality is trivial.

However:

what does $p_{++}(\mathbf{a}, \mathbf{b}, \lambda)$ **actually mean**?

For any given pair of photons, \mathbf{a}, \mathbf{b} (by experimental construction) and λ (by assumption) take definite values. However, we need to postulate (*) also for values which are **not** taken, e.g. for $p_{++}(\mathbf{a}', \mathbf{b}, \lambda)$! At least for continuous λ , cannot define this quantity in frequentist terms: it must refer to, not one, but a whole collection of experiments which we have **not** conducted:

“had we measured the results of a large ensemble of experiments with setting \mathbf{a}', \mathbf{b} and state description λ , the **distribution** of (++) results **would have** been statistically consistent with the “value” $p_{++}(\mathbf{a}', \mathbf{b}, \lambda)$ ” – i.e. not one, but a whole set of **counterfactual statements**.

⇒ “macroscopic counterfactual quasidefiniteness” (MCFQD)



The \$64K question:

Is MCFQD anymore acceptable than MCFD?

SO, IN THE LAST RESORT, WHAT (EXACTLY) DO THE
“EPR-BELL” EXPERIMENTS TELL US ABOUT THE WORLD?

MAYBE (PERES) THAT

UNPERFORMED EXPERIMENTS HAVE NO
RESULTS (EVEN STATISTICAL ONES).

